Severe Thunderstorm Research

in the Department of Meteorology and **Atmospheric Science**

Paul Markowski, Yvette Richardson

Matt Kumjian, Kelly Lombardo

John Peters

{supercell thunderstorms, tornadoes}

(supercell thunderstorms, giant hail)

{supercell thunderstorms}

Dave Stensrud, Yunji Zhang

Steve Greybush

{computer-generated forecasts of storm formation and behavior}

{Al-based predictions of storms}





Supercell Thunderstorms

























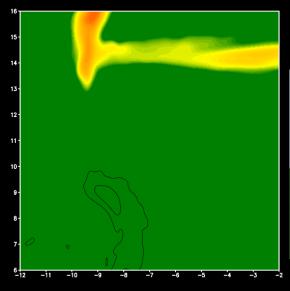
Observations



This team of scientists launches weather balloons into violent storms. What they learn could improve tornado forecasts.



Computer simulations



1830 s



Our tools



iors predicted by simulation or theoretical studies based z = h is on true soundings.

6. Final remarks and future work

We caution the reader that, although small-scale wind shear variability has been documented herein, there are no clear means of applying these findings in severe storms forecasting or warning operations given the lack of real-time observations on these scales. Although past work has shown that moisture and wind shear variability on larger (meso β) scales can affect simulated storms, it is not known what impact, if any, variability on smaller (meso γ) scales has on actual storms, nor should the impact be inferred from the

Some of our ongoing research activities are geared to further exploring the sensitivity of simulated convective storms to meso-β-scale moisture and wind shear variability (e.g., Kost and Richardson 2004; Kron 2004). Our future research plans include an investigation of how convective storms modify the kinematic heterogebeneath the leading anvil and within precipitation re- can be written as gions) using additional dual-Doppler radar observations. Ultimately we hope to develop a better under-

obtained from the storm environments, to storm behavior of (2), the SRH between the surface (z = 0) and

$$SRH = -\int_{0}^{h} \mathbf{k} \cdot (\mathbf{v} - \mathbf{c}) \times \frac{\partial \mathbf{v}}{\partial z} dz, \quad (A1)$$

Theory

$$= -\int_0^h \left[(u - c_x) \frac{dv}{dz} - (v - c_y) \frac{du}{dz} \right] dz, \quad (A2)$$

$$= GRH + c_{,}\Delta v - c_{,}\Delta u, \qquad (A3)$$

where $\mathbf{c} = (c_x, c_y)$ is the storm motion (assumed constant with height); Δu and Δv are the x and y components of S_{0h} , which is the vertical shear vector between z = 0 and z = h; and GRH is the ground-relative helicity, whereby

$$GRH = -\int_{0}^{h} \mathbf{k} \cdot \mathbf{v} \times \frac{\partial \mathbf{v}}{\partial z} dz. \tag{A}^{A}$$

From (A3),

MARKOWSKI AND RICHARDSON

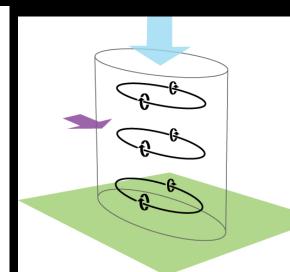
$$\delta SRH = \delta c_{\nu} \Delta v - \delta c_{\nu} \Delta u, \qquad (A5)$$

where δSRH is the sensitivity of SRH to storm motion uncertainty (or change) and $\delta \mathbf{c} = (\delta c_y, \delta c_y)$ is the storm neity present within convective boundary layers (e.g., motion uncertainty (or change). Equation (A5) also

 $\delta SRH = \mathbf{k} \cdot \delta \mathbf{c} \times \mathbf{S}_{0h} = \delta \lambda |\mathbf{S}_{0h}|,$







Observations This team of scientists launches weather balloons into violent storms. What they learn could improve tornado forecasts. **Computer simulations** 1830 s Courtesy of Josh Wurman MATIONAL SEVERE STORMS LABORATORY

Observations This team of scientists launches weather balloons into violent storms. What they learn could improve tornado forecasts. **Computer simulations**

Some challenges like



with the herds...

photo credit: Julie Malingowski



Student Participants





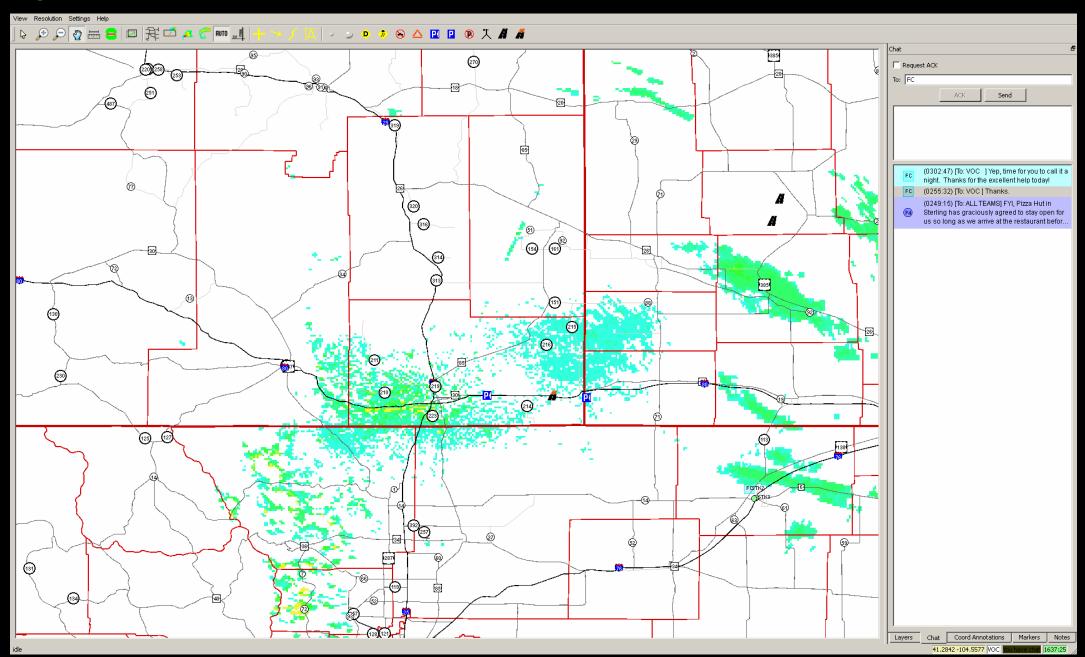


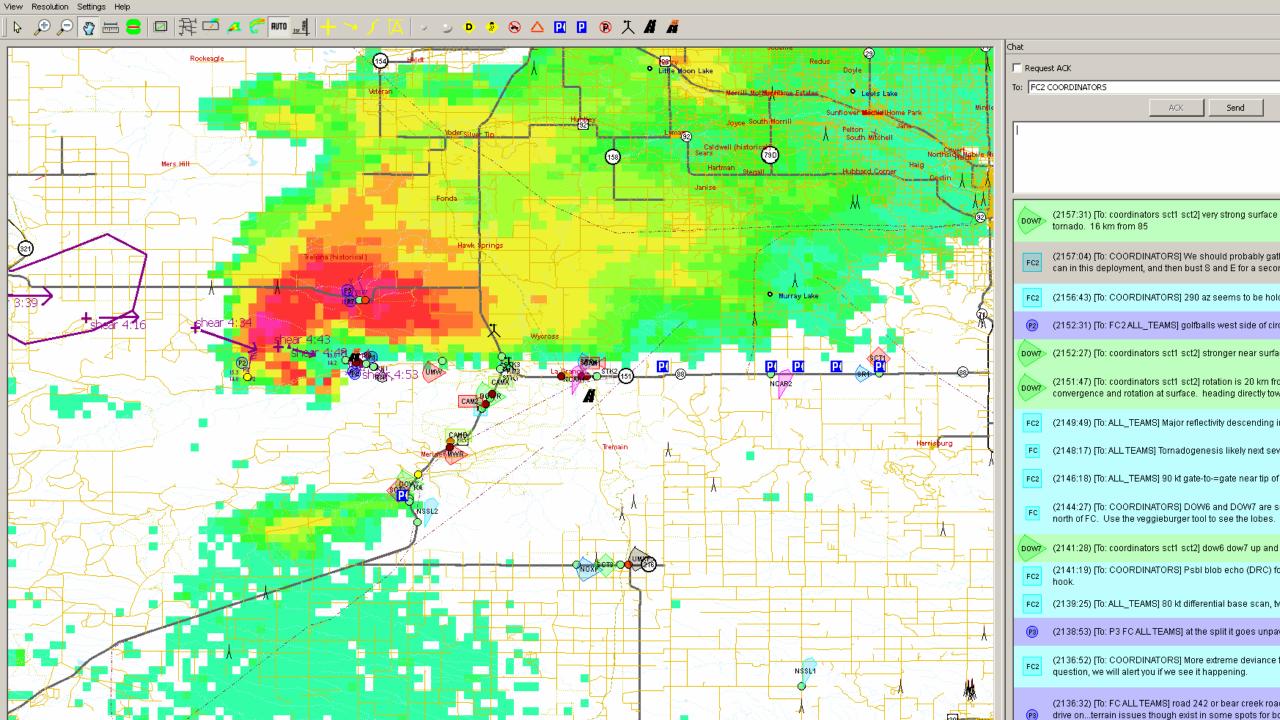






Example of a real tornado chase



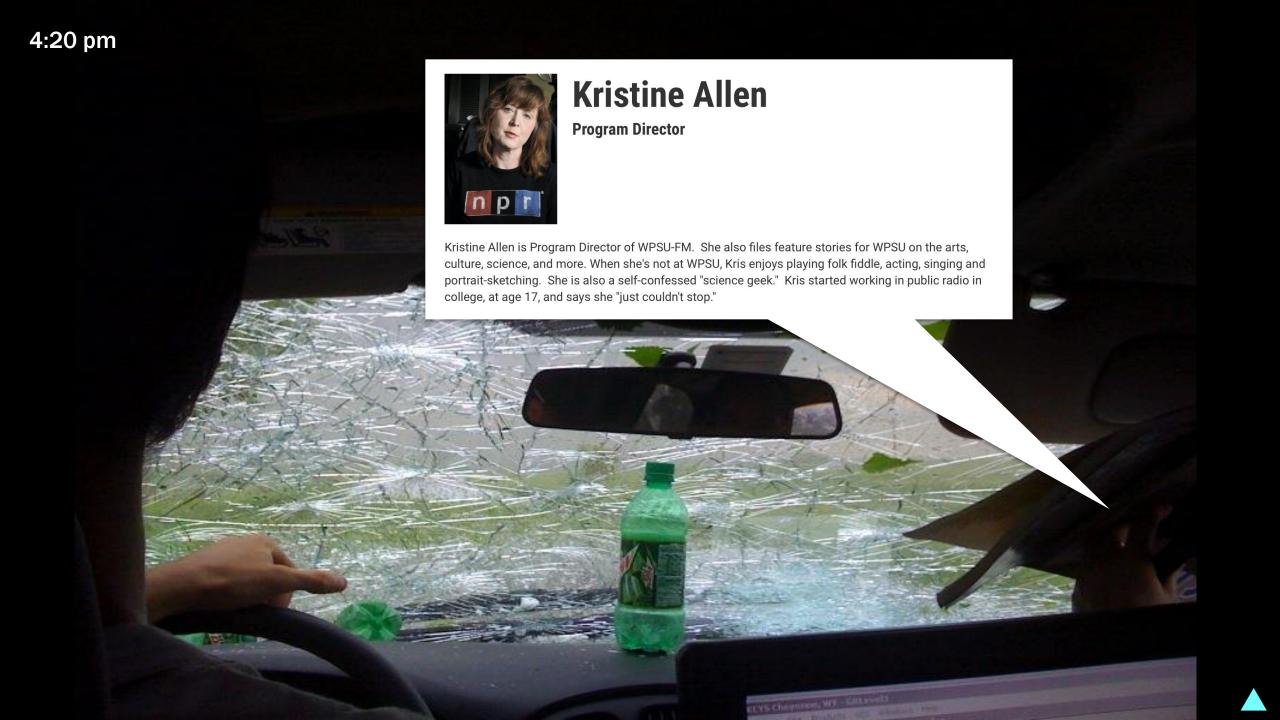


View from our vehicle

4:09 pm

Being in the storm does not give you a better view!





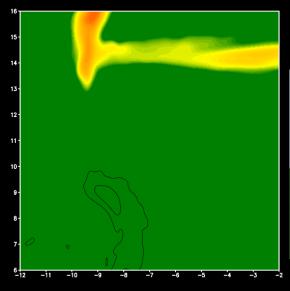
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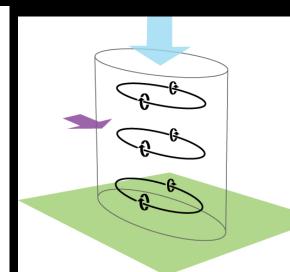
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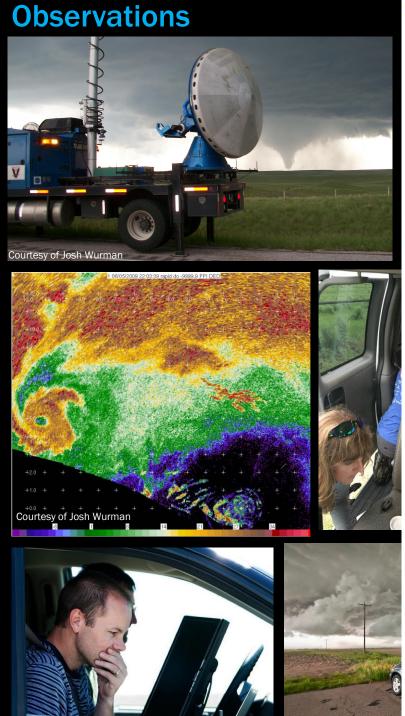
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Capital Weather Gang

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May, 1996

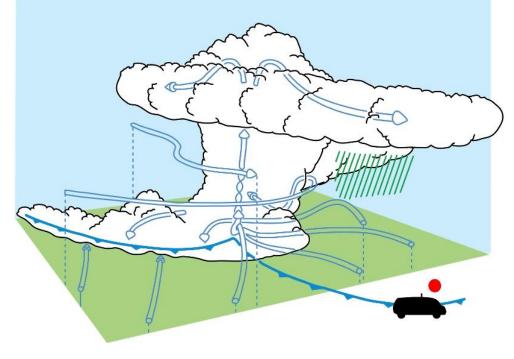




May, 2017–2023









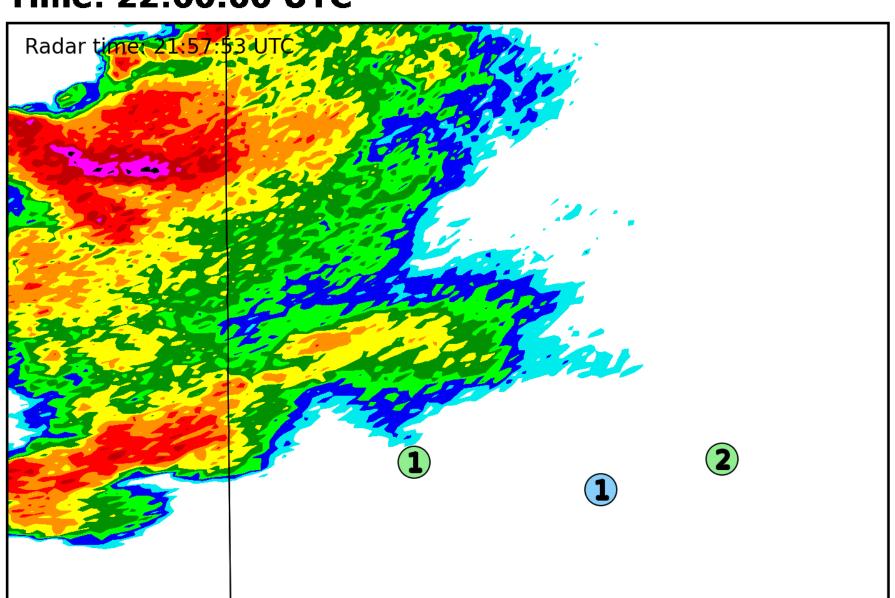






31 May 2022 near Arkansas City, KS

Time: 22:00:00 UTC



31 May 2022 near Arkansas City, KS

